


MASTERY

- Conceptually simple chapter, but can be deceivingly difficult and complicated
- 3 key concepts


## CHAPTER ANALYSIS

- Concepts usually tested as a stand-alone topic
- Easy to make careless mistakes if not careful i.e. under/double counting

- High overall weightage
- Tested consistently every year
- Typically, an 8 m question, 1-2 questions in one of the papers


## Probability

Possibility Diagram \& Tree Diagram
Addition \& Multiplication Laws



## Probability

Branch of Mathematics that deals with calculating the likelihood of a given event's occurrence, always expressed as a number between $\mathbf{0}$ and $\mathbf{1}$

$$
\underbrace{\mathrm{P})(\text { rolling a } 6 \text { on a fair dice })}_{\text {Event's occurrence }}=\frac{\mathbf{1}}{\mathbf{6}}
$$

Calculate probabilities using the following expression:
$P($ Event $)=\frac{\text { Number of favourable outcomes }}{\text { Total number of possible outcomes }}$


## Possibility Diagram

Diagram which shows all possible outcomes of an experiment, usually used where each outcome is equally likely to happen

Example: Sum of 2 dices thrown

First Dice


## Take note:

Probability of every completed branch must add up to 1


## Common Mistake / Examination Phrase:

" ... taken out of the bag without replacement ... "
This means that the object is taken out of the bag, and not placed back inside, this in-turn will change the outcome of the resultant probability

EX: $\mathbf{5}$ red balls out of $\mathbf{1 0}$ balls, $\mathbf{2}$ balls taken out without replacement


## Tree Diagram

Each of the $\boldsymbol{n}_{\mathbf{1}}$ ways to completing the first outcome is represented as the branch of the tree diagram

Each of the ways to completing the second outcome is represented as $\boldsymbol{n}_{2}$ branches from the ends of the original branches and so on...

Example:



## Addition \& Multiplication Laws

## 1. Addition Law

Applies for 2 or more mutually exclusive events. When 2 events are mutually exclusive, it means that they cannot happen at the same time

$$
\mathbf{P}(\mathbf{A} \text { or } B)=P(\mathbf{A} \cup B)=P(A)+P(B)
$$

## 2. Multiplication Law

Applies for 2 or more independent events. When 2 events are independent, it means that the occurrence of one of them has no influence on the occurrence of the other

$$
\mathbf{P}(\mathbf{A} \text { and } B)=\mathbf{P}(\mathbf{A} \cap B)=P(A) \times P(B)
$$

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